



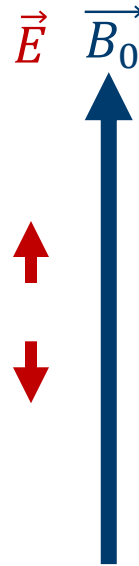
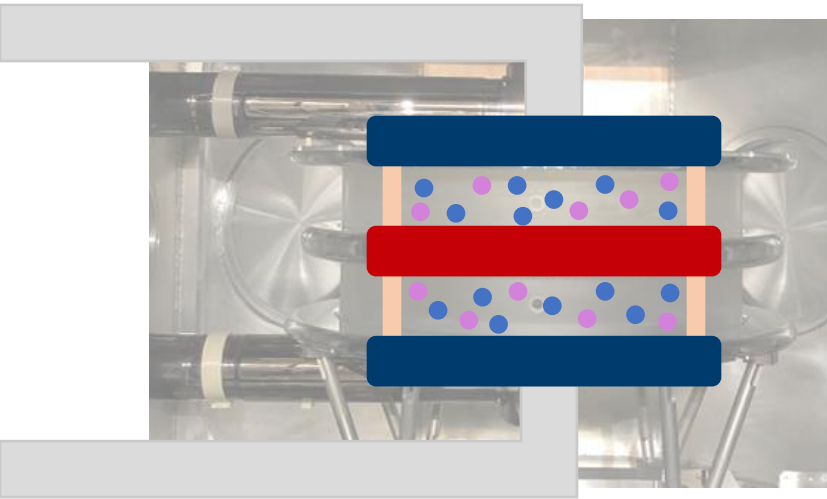
# An array of Cs magnetometers for the n2EDM experiment

Victoria Kletzl

On behalf of the nEDM collaboration

nEDM2023 – Santa Fe – 2023/11/07

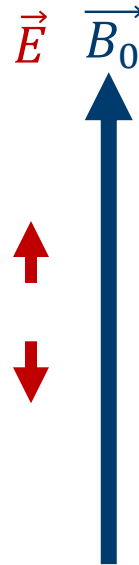
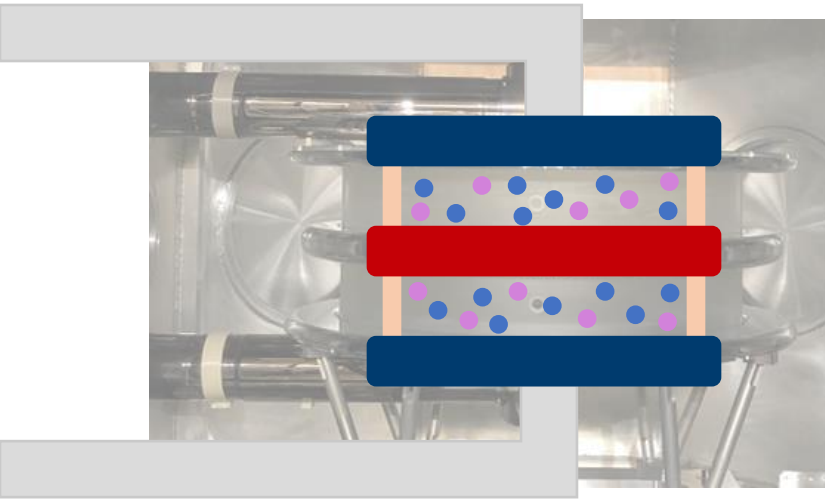
# The n2EDM double chamber



● UCN

● <sup>199</sup>Hg atom

# The n2EDM double chamber



Simultaneous measurement of:

$$f_{n,\uparrow\downarrow} \quad \text{and} \quad f_{n,\uparrow\uparrow}$$

$^{199}\text{Hg}$  magnetometer allows for cancellation of drifts in  $\vec{B}_0$  via:

$$\mathcal{R} = \frac{f_n}{f_{\text{Hg}}}$$

- UCN
- $^{199}\text{Hg}$  atom

# The $d^{\text{false}}$ effect

- Special relativity gives a motional magnetic field for particles moving in an electric field :

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- If  $\vec{B}_0 \neq \text{uniform} \rightarrow d^{\text{false}}$  for neutrons and  $^{199}\text{Hg}$  comagnetometer
- $d^{\text{false}}$  for neutrons and Hg are not the same due to different velocities and precession frequencies!

	Neutrons	$^{199}\text{Hg}$
RMS velocity	few m/s	$\approx 150$ m/s
Larmor frequency	$\approx 3.8 \gamma_{\text{Hg}}  \vec{B}  \approx 30$ Hz	$\gamma_{\text{Hg}}  \vec{B}  \approx 8$ Hz

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Pignol & Roccia, Phys. Rev. A85,  
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- Gradient control using Cesium magnetometer array!

Pignol & Rocca, Phys. Rev. A85,  
042105 (2012).

# Representing $d_{\text{Hg} \rightarrow n}^{\text{false}}$

- $\vec{B}_0$  can be represented by spherical harmonics

Abel, C. et al., Phys. Rev. A 99, 4 (2019).

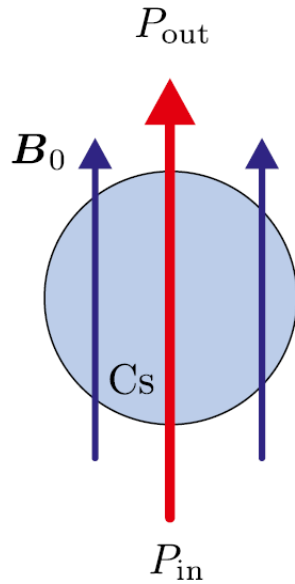
$$d_{\text{Hg} \rightarrow n}^{\text{false}} = - \frac{\hbar |\gamma_{\text{Hg}} \gamma_n|}{2c^2} \sum_{l,m} G_{l,m} \langle \rho \Pi_{\rho,l,m} \rangle$$

Gradients:

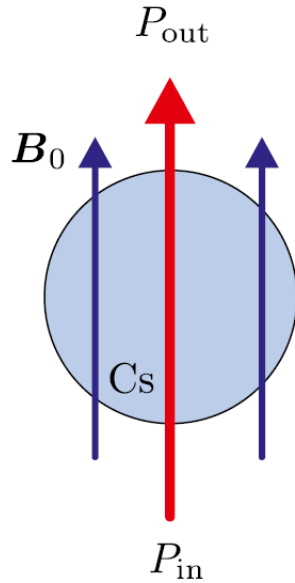
$G_{1,0}$  ... Hg co-magnetometer

$G_{3,0}$ ,  $G_{5,0}$ ,  $G_{7,0}$  ... Cs magnetometer array

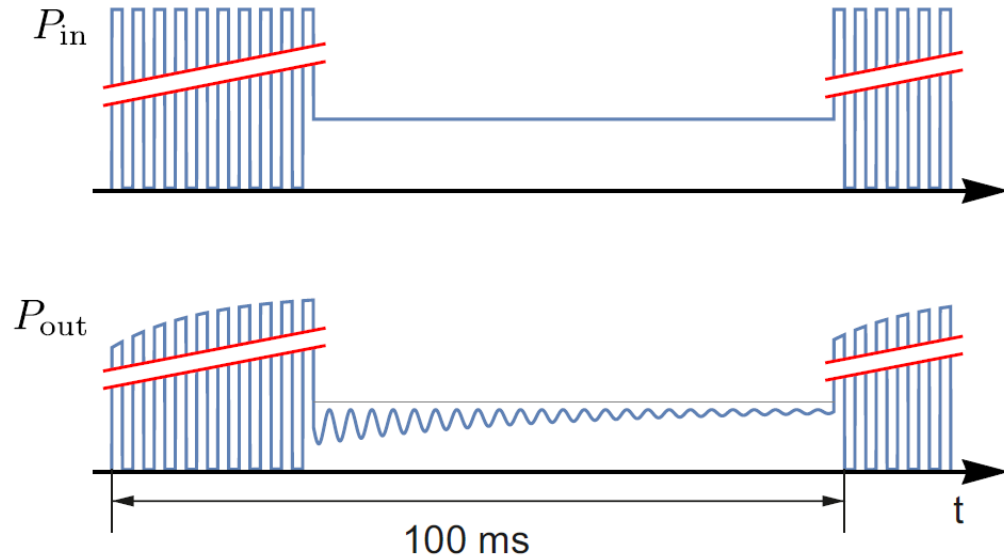
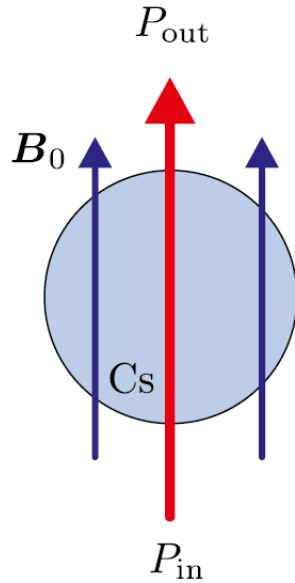
# The pump-probe-cycle



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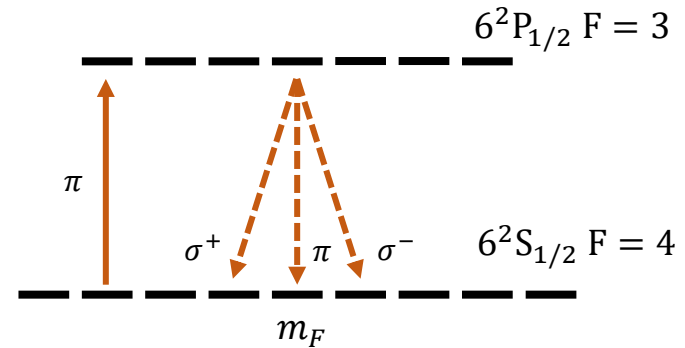


# The pump-probe-cycle



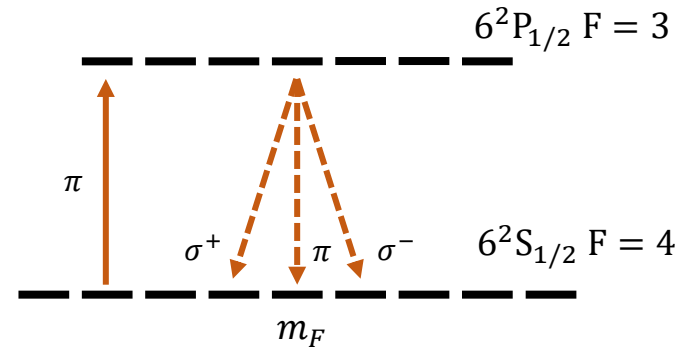
# Optical pumping

- Wavelength = 894 nm ( $D_1$  - line)
- Linear polarization  $\pi$



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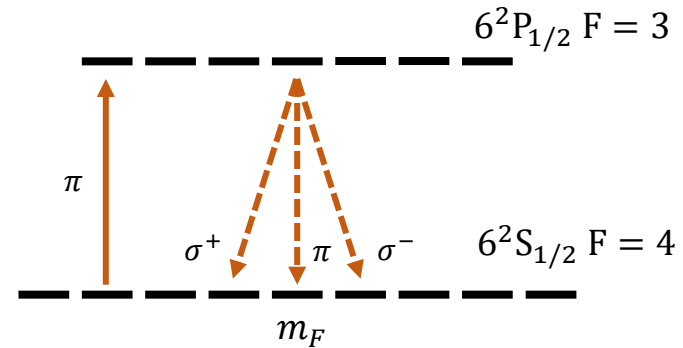
- Wavelength = 894 nm ( $D_1$  - line)
- Linear polarization  $\pi$
- spin populations in high  $|m_F|$   
= spin alignment





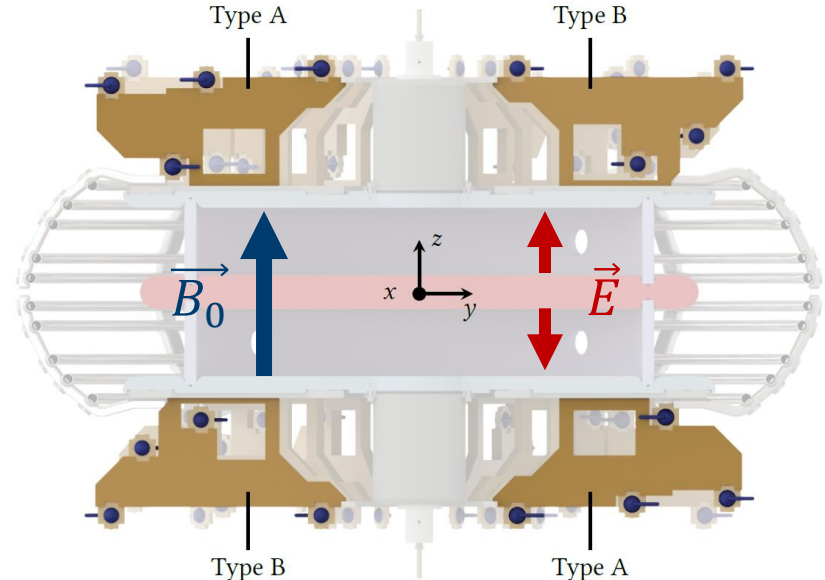
# Optical pumping

- Wavelength = 894 nm ( $D_1$  - line)
- Linear polarization  $\pi$
- spin populations in high  $|m_F|$   
= spin alignment
- Observed precession frequency:  
 $2\omega_L = 7$  kHz



# Cs Magnetometer array @ n2EDM

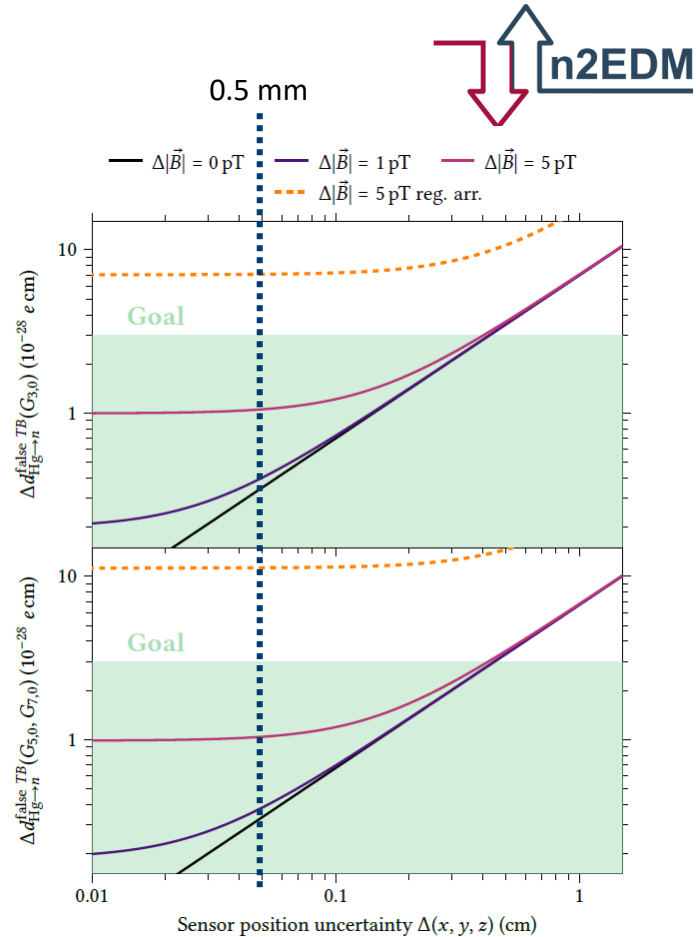
- Total of 112 Cs cells on 28 plates (gradients up to  $l \leq 7$ )
- Two types of holder geometries
- Placement accuracy:  $\pm 0.5$  mm
- Magnetometric accuracy: 5 pT



# Placement and accuracy

- Placement determined with genetic algorithm
- Restriction to unit plates of 4 cells each
- $\pm 0.5$  mm is well within our sensitivity goal

Pais, D., DISS. ETH NO. 27742, 2021.

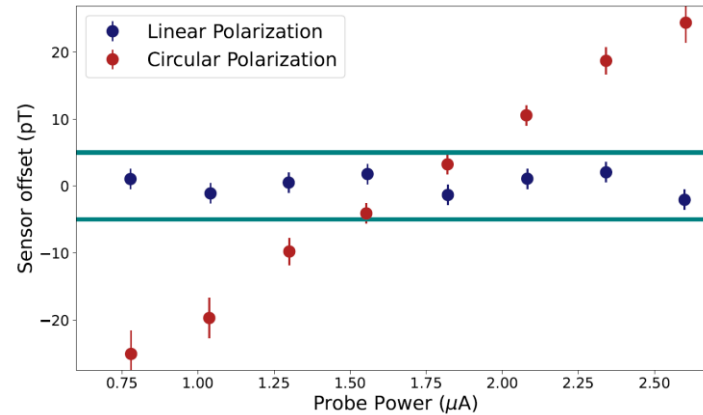


# Laser stability and accuracy



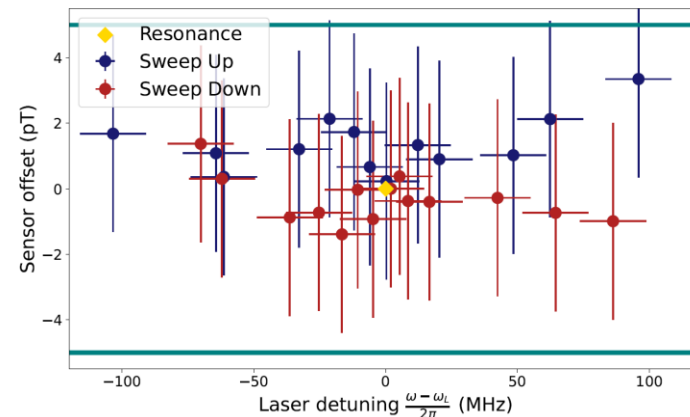
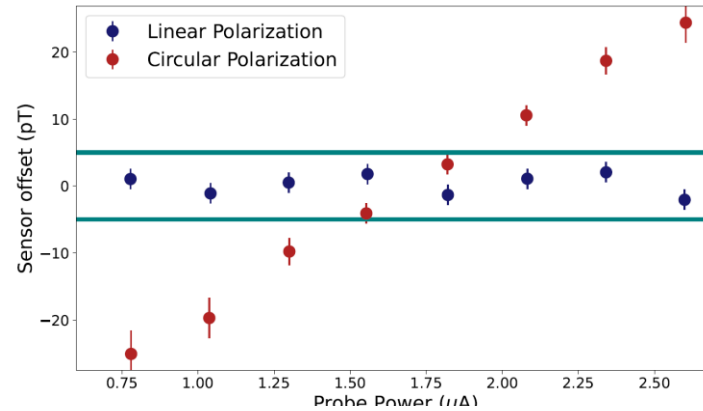
- Linear polarisation suppresses systematic shifts

➤ Probe power

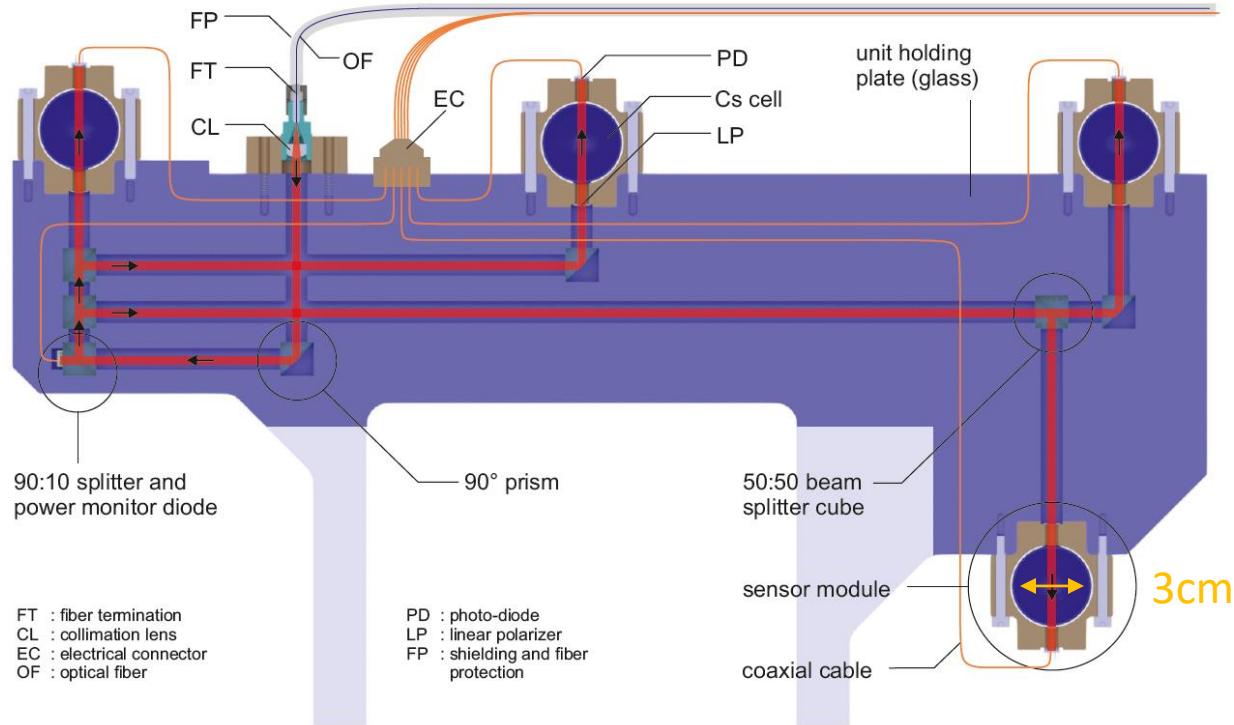


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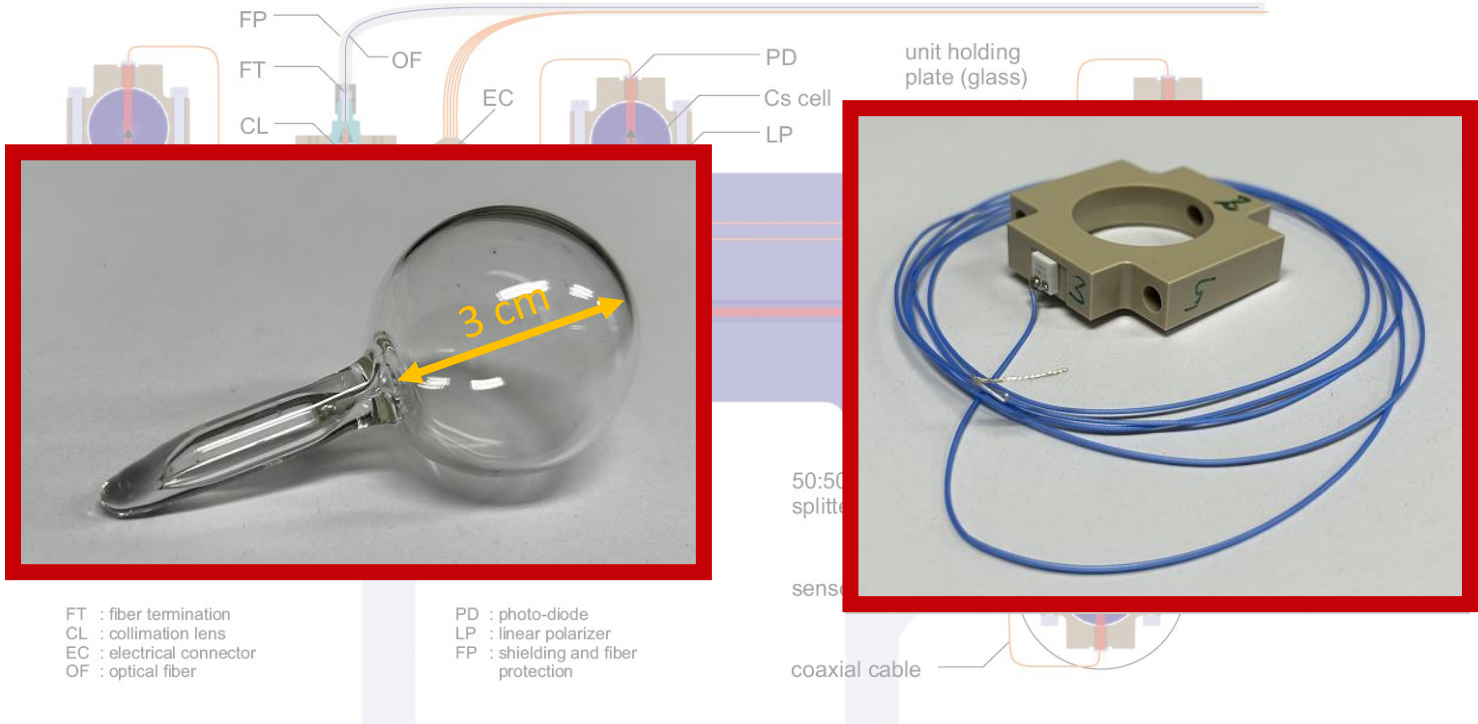
- Linear polarisation suppresses systematic shifts
  - Probe power
  - Laser detuning



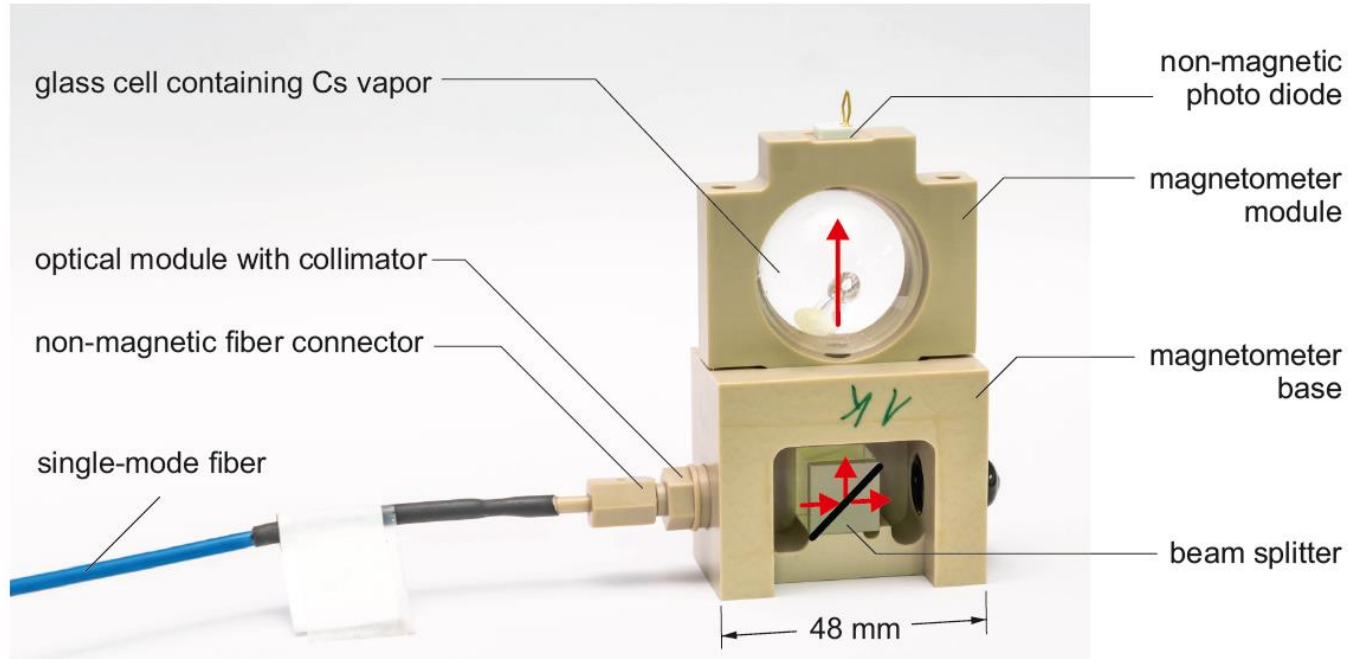
# Single Cs plate



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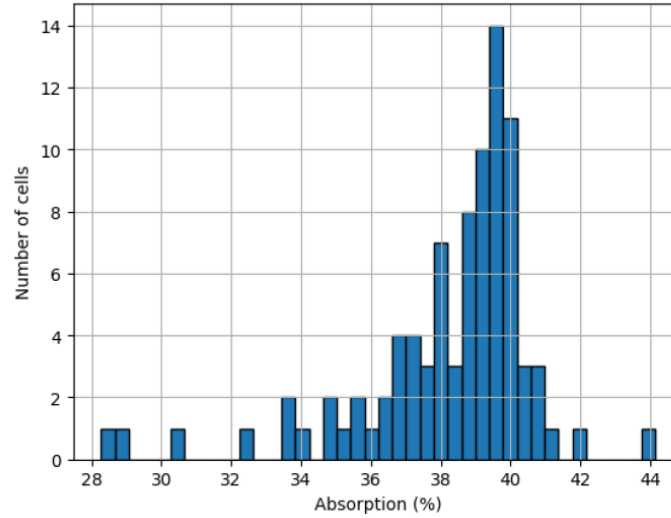
# Cs magnetometer prototype





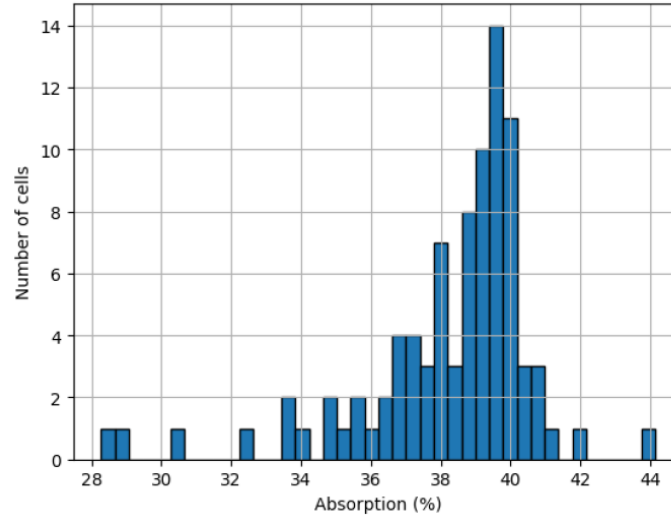
# Cell testing

- Laser light absorption:

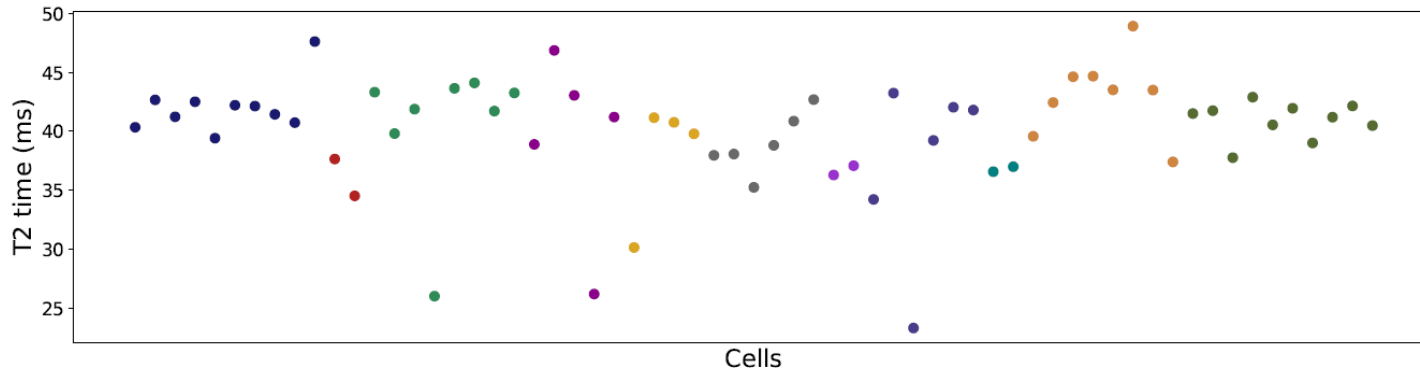


# Cell testing

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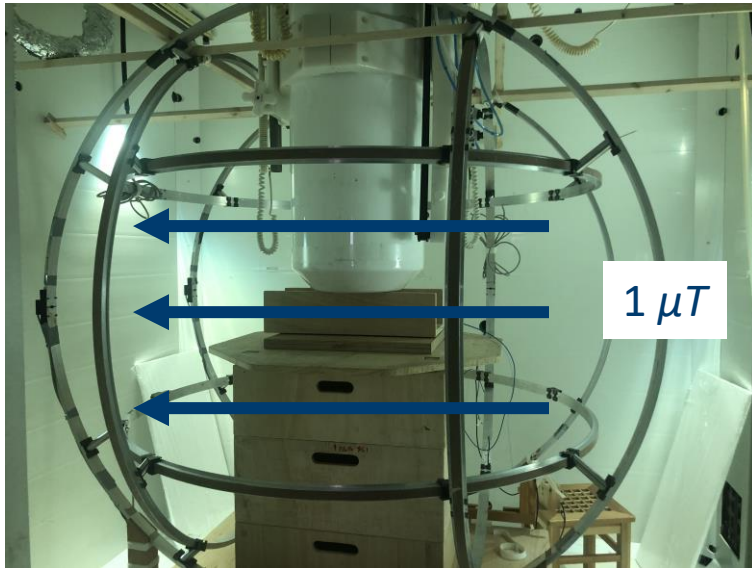


- T2 relaxation time:



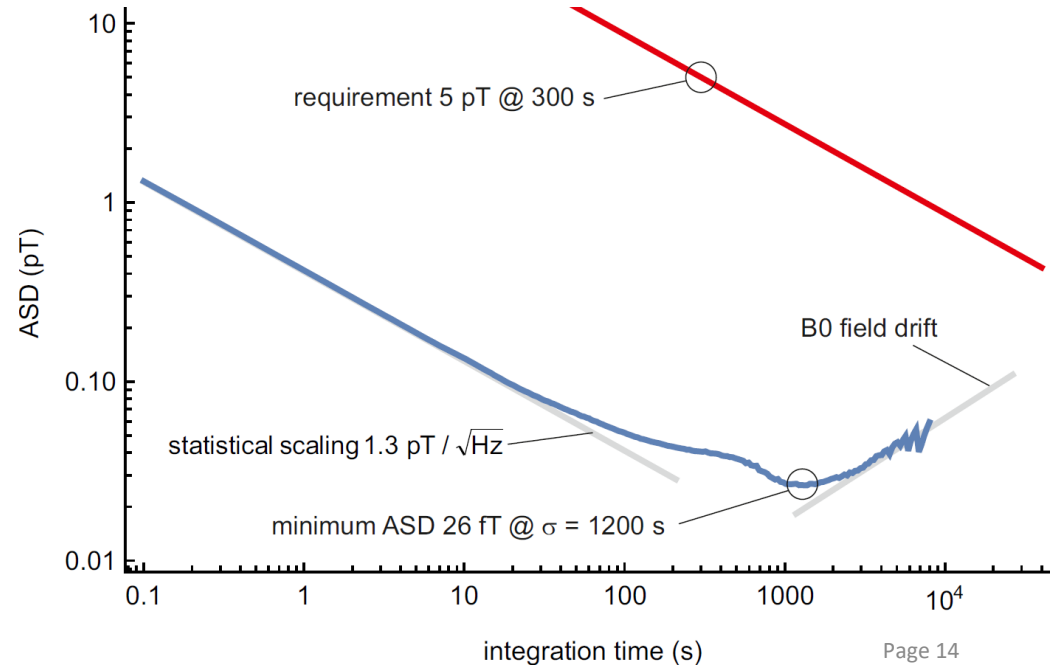
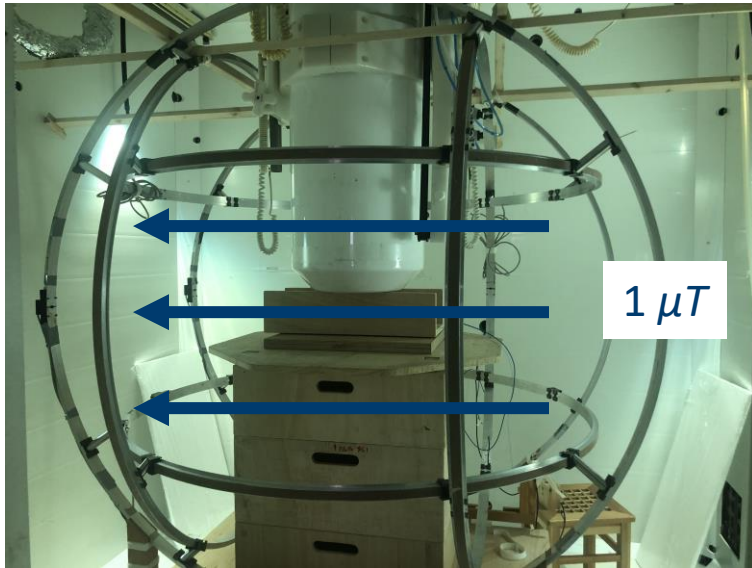
# Magnetometer stability

- Tested at BMSR-2, PTB Berlin



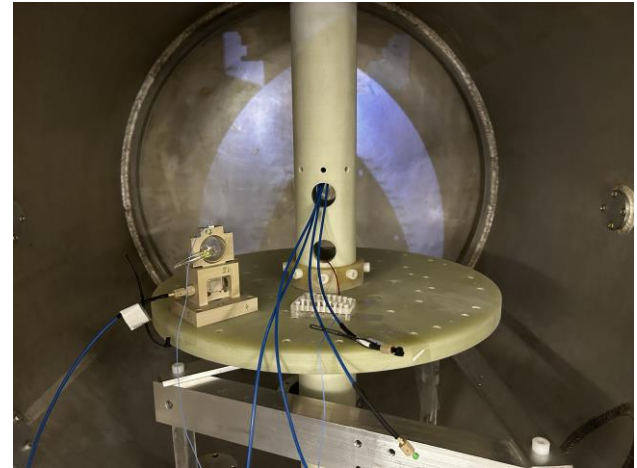
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# Summary and Outlook

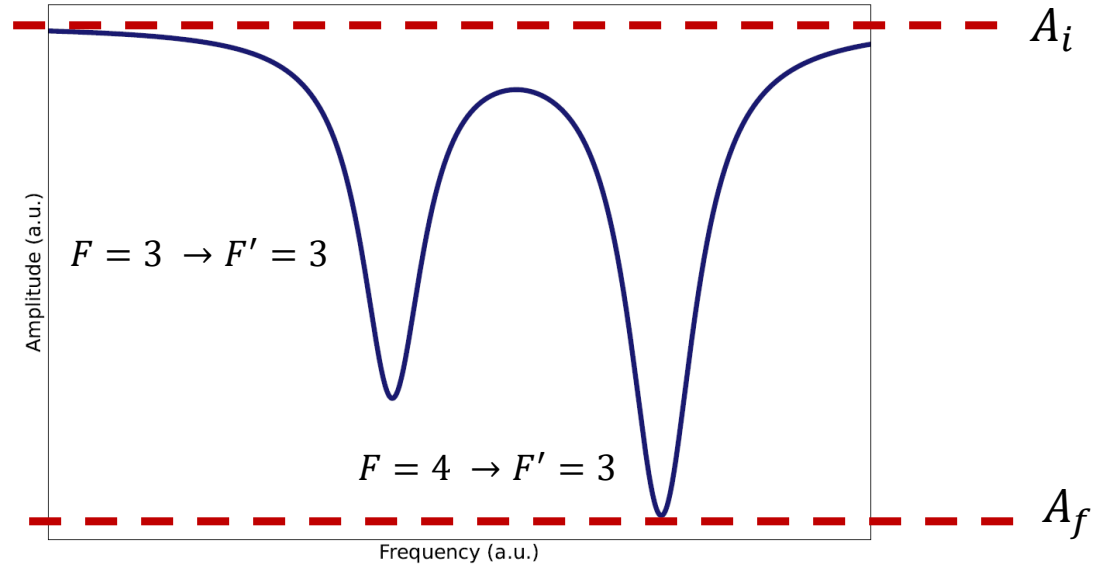
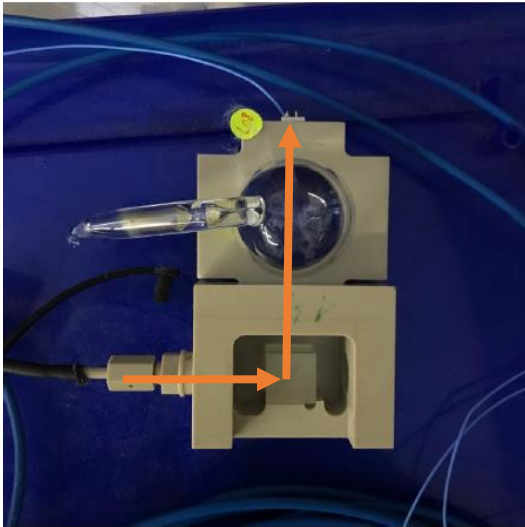
- 112 Cs magnetometers will be used in n2EDM
- Positioning has been optimised
- ~ 60 with optimal characteristics
- To be calibrated for intrinsic offset
- 8 plates (32 cells) to be installed early 2024





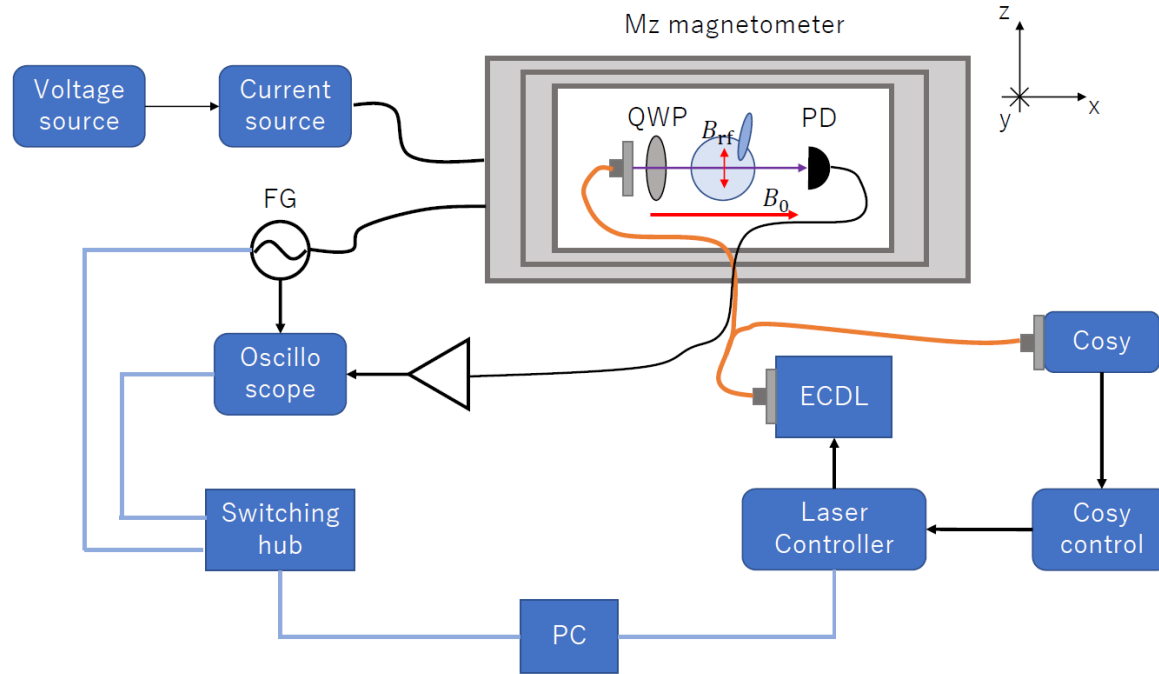
Thank you for your  
attention!

# Testing Cs absorption



$$I = \frac{(A_i - A_f)}{A_i}$$

# Measuring Cs T2 time





# The genetic algorithm

